

The Evolution of the IMF of Star Clusters

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Contents

- Introduction/Background
 - * why study the IMF
 - * how to study the IMF
 - * using GCs to study the IMF
 - * observations
- Method
 - * dynamics
 - * stellar evolution
- Results
 - * mass vs metallicity
 - * radius vs metallicity
 - * radius vs mass
- Conclusions

Why Study the IMF?

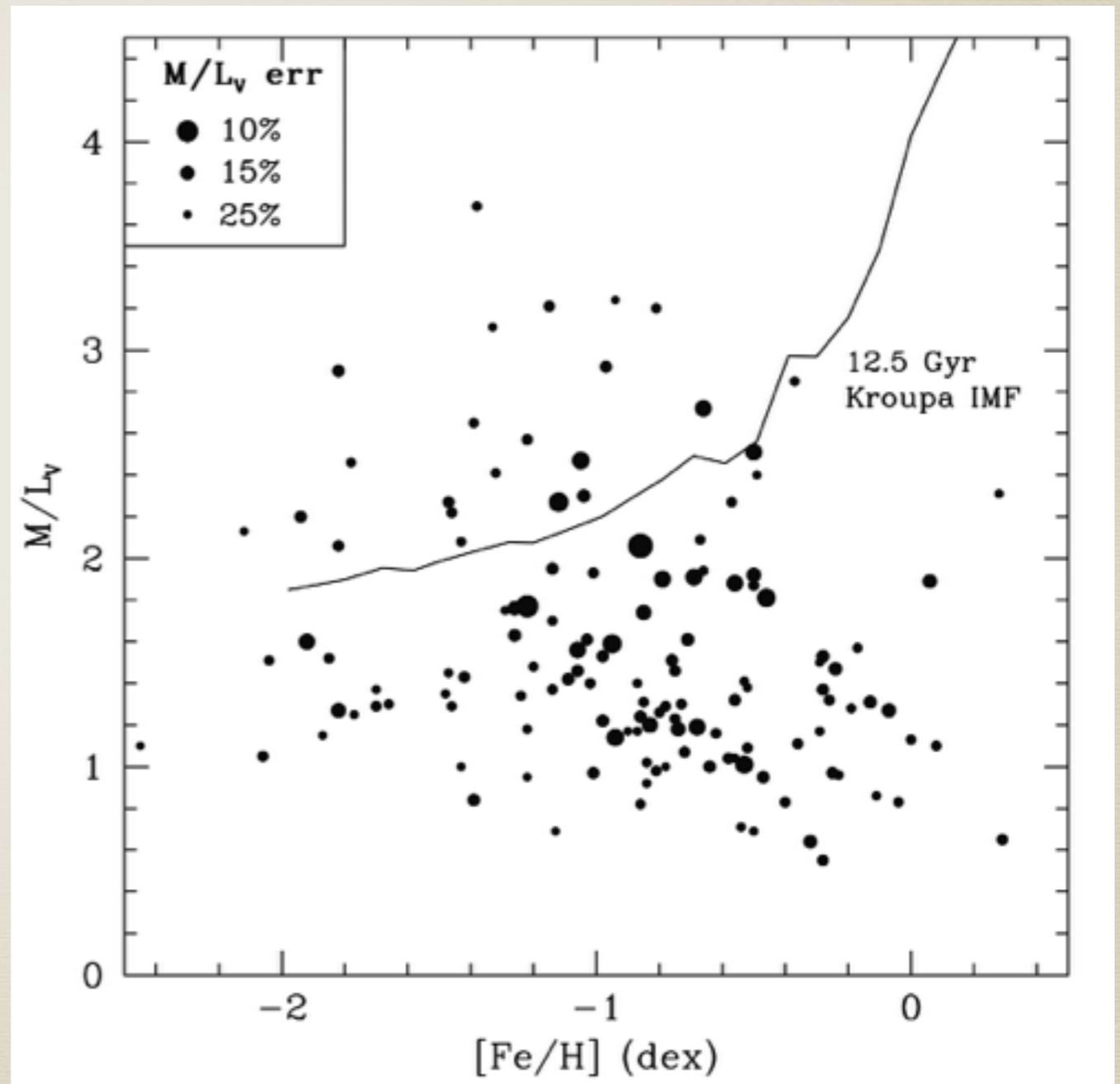
- the initial mass function (IMF) is defined as the number of stars per unit volume per unit logarithmic mass
- describes initial masses of a stellar population
- is it universal?
- influences most observable properties
- variations could provide insights into stellar formation processes

How to Study the IMF

- field stars in the stellar neighbourhood
- difficult to obtain robust empirical measurement
- need some knowledge of star formation history
- estimations/assumptions have to be made
 - * impacts greatly on the resulting IMF
- globular clusters (GCs)
 - * interplay between dynamics and stellar evolution
 1. the stellar IMF itself
 2. details of stellar evolution
 3. dynamical evolution in the Galactic tidal field
 - * no dark matter

Observations

- Strader et al. (2011)
- mass-to-light of 163 M_{31} GCs
- metal rich GCs deviate strongly from model IMF
- concluded that a shallower mass function is required



Project Outline

- parameterised model for present day mass function
- includes the effects of stellar evolution and dynamics:
 - evolution according to specific IMF
 - coupling to (static) dynamical models for GCs with different mass components
 - multi-mass King models
- predictions for the observed velocity dispersion and half-light radii
- compared with observational data (Strader et al. 2011)

Method: Stellar Evolution

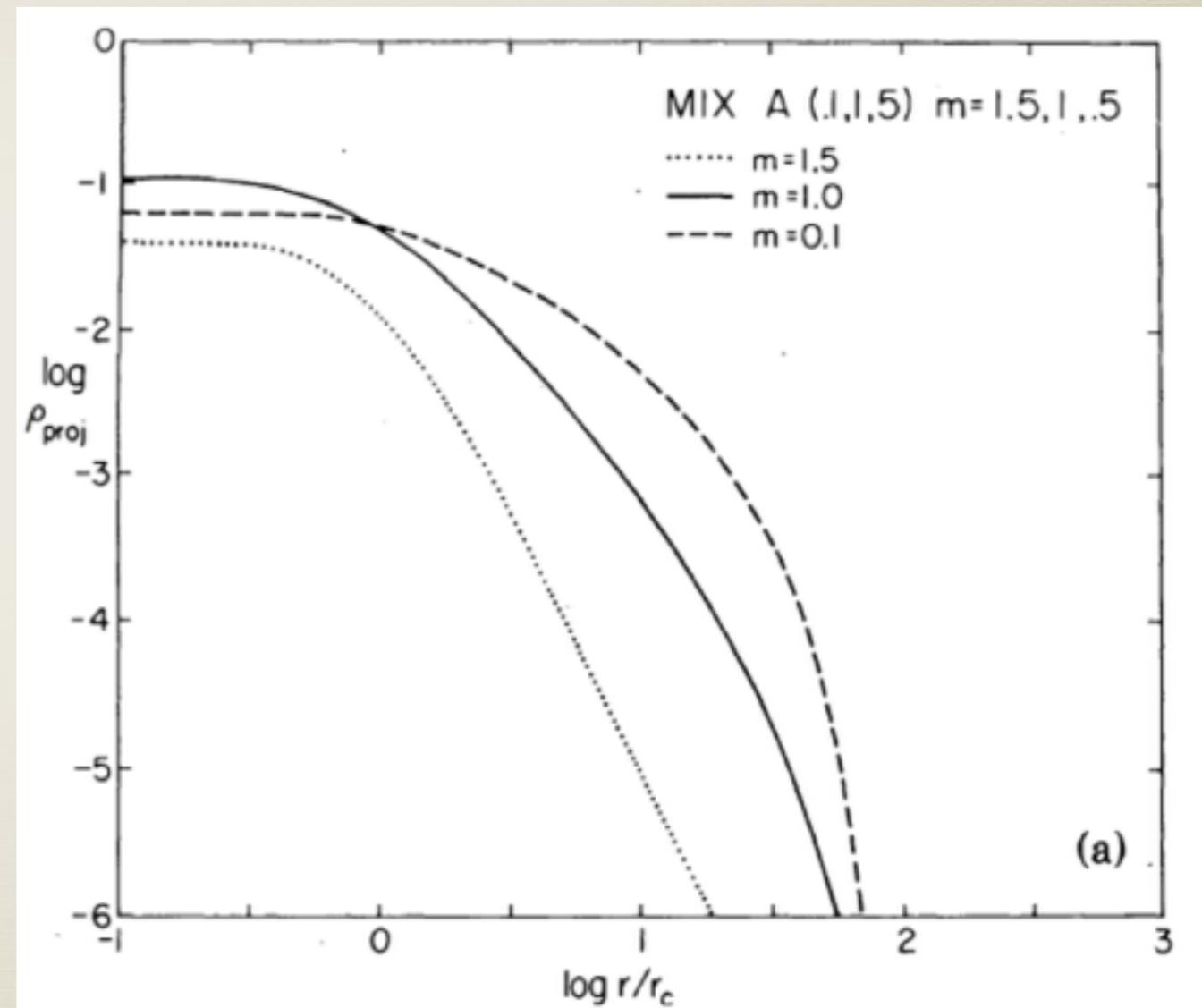
- 10,000 stars: $0.2 - 100M_{\odot}$
- SSE code (Hurley, 2000)
- 11 metallicities: Fe/H between -2 and 0
- stellar mass function:

$$\frac{dN}{dm} = \begin{cases} Am^{-\alpha_1} & m_1 < m < m_2 \\ Bm^{-\alpha_2} & m_2 < m < m_3 \end{cases} \quad \alpha_1 = 0 \quad \alpha_2 = 2.35$$

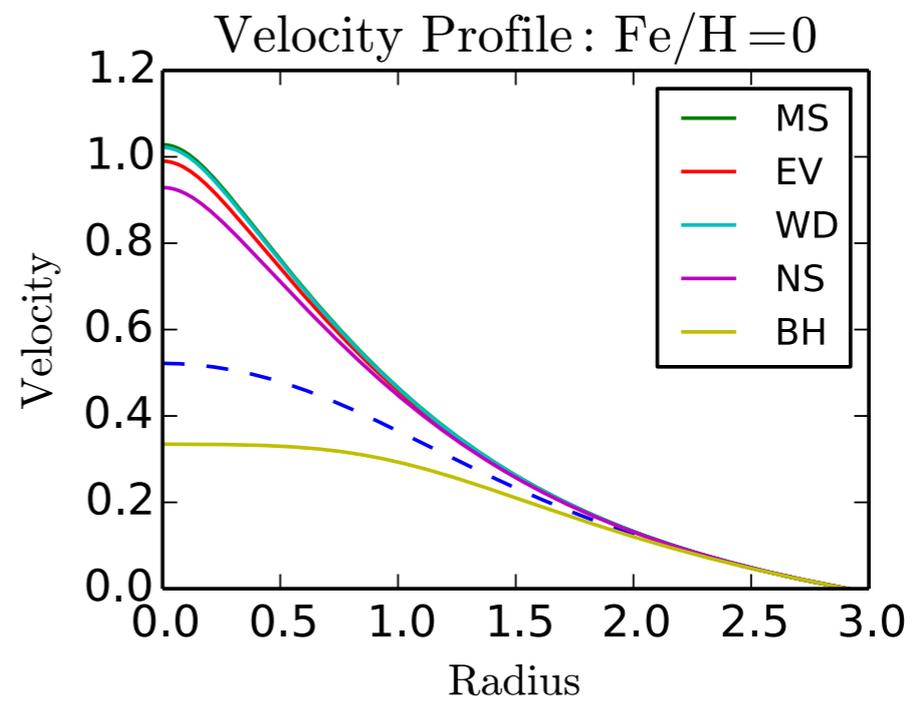
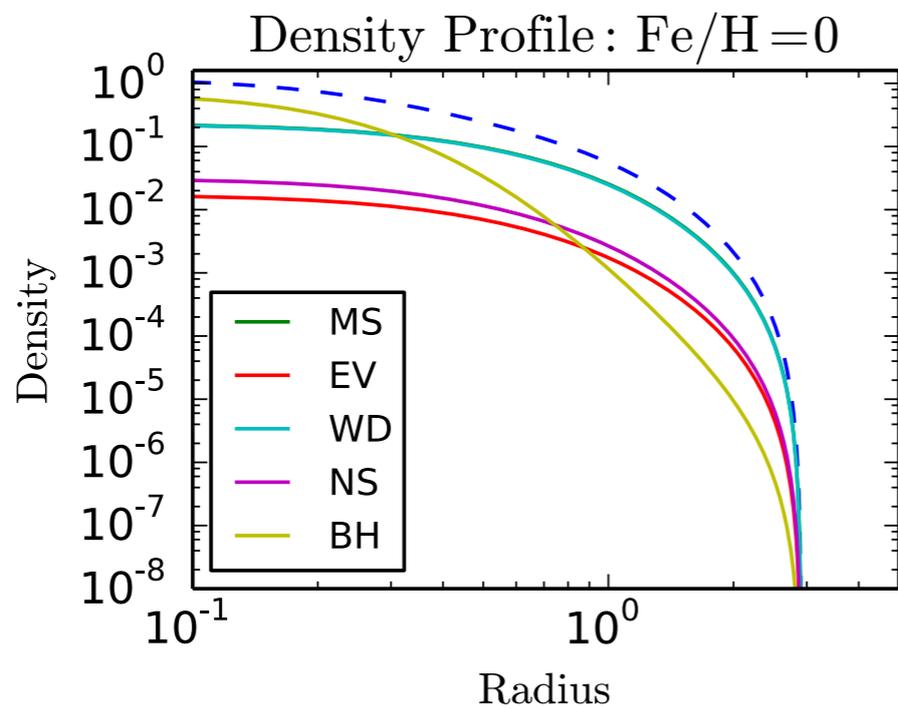
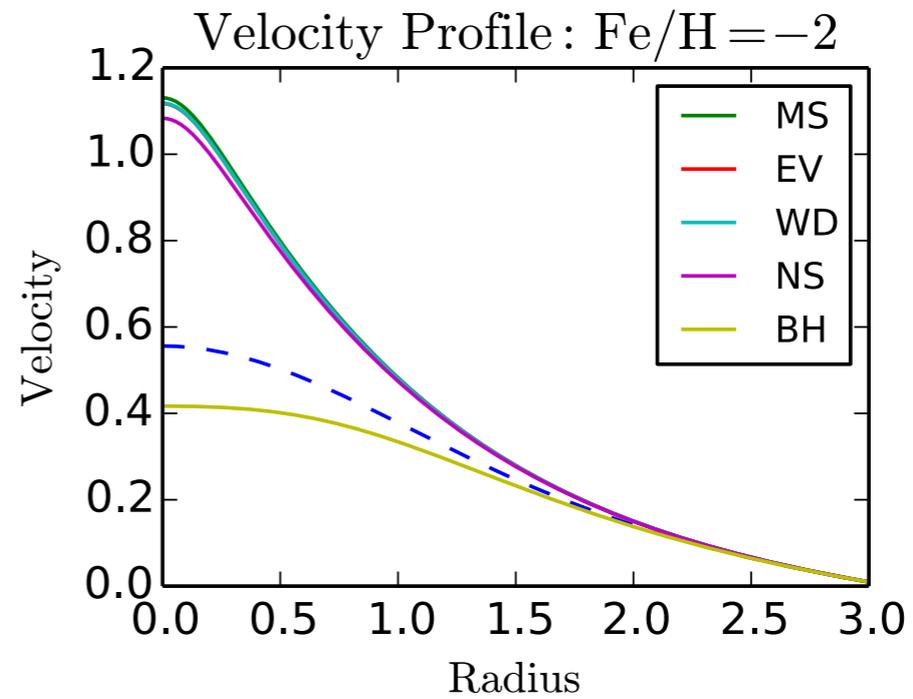
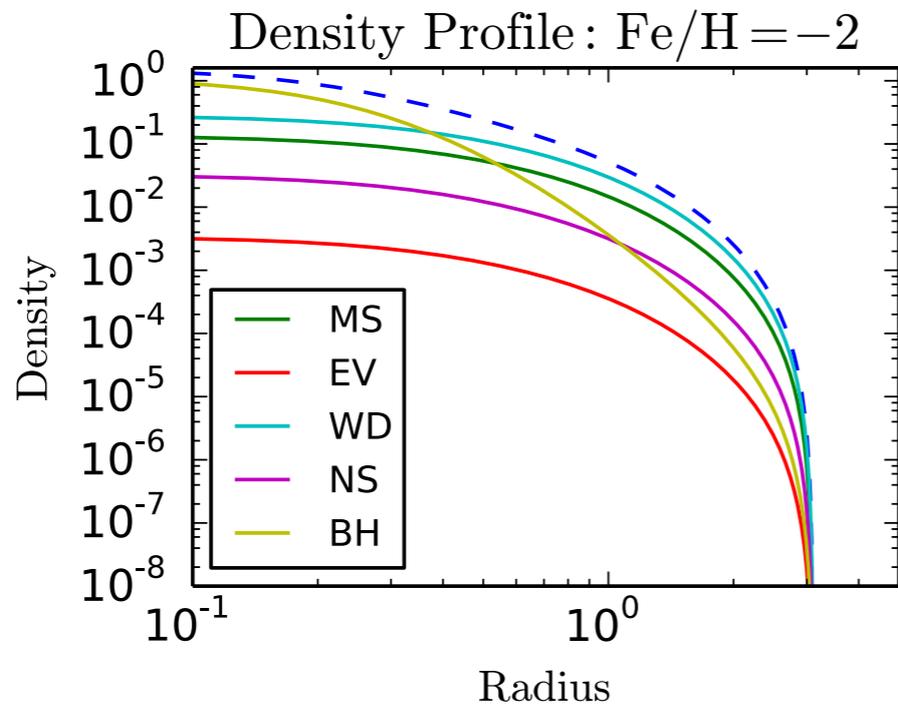
- quicker than N-body simulation
- not concerned with following the stars
- statistical characterisation of underlying physics

Method: Dynamics

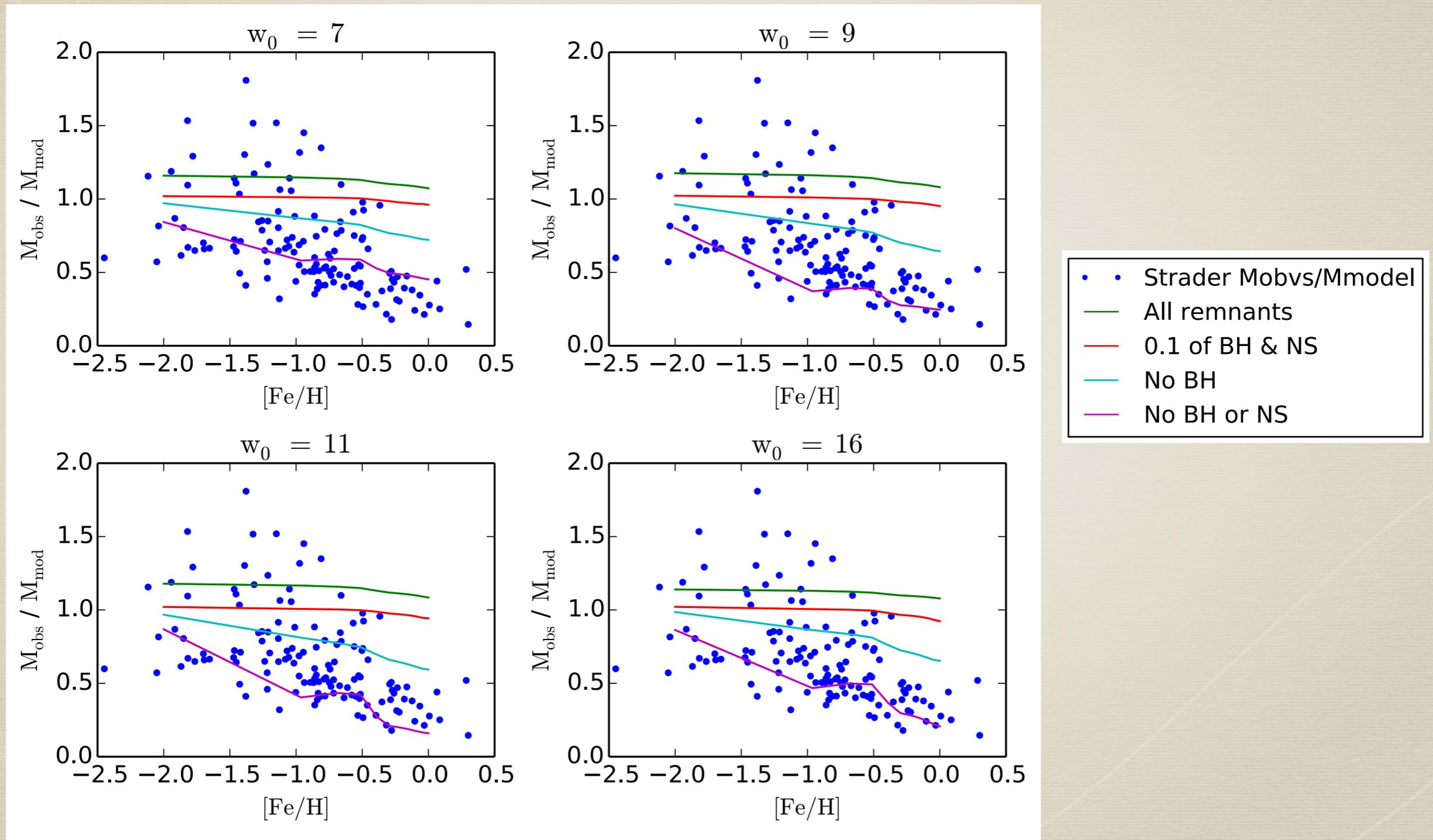
- Gunn & Griffin 1979
- see Douglas' first lecture for details
- multi mass models
 - * retention fraction of remnants
 - * energy equipartition
 - * mass segregation
- double power law
 - * preferential loss of low mass stars
 - * mimics effects of dynamical evolution



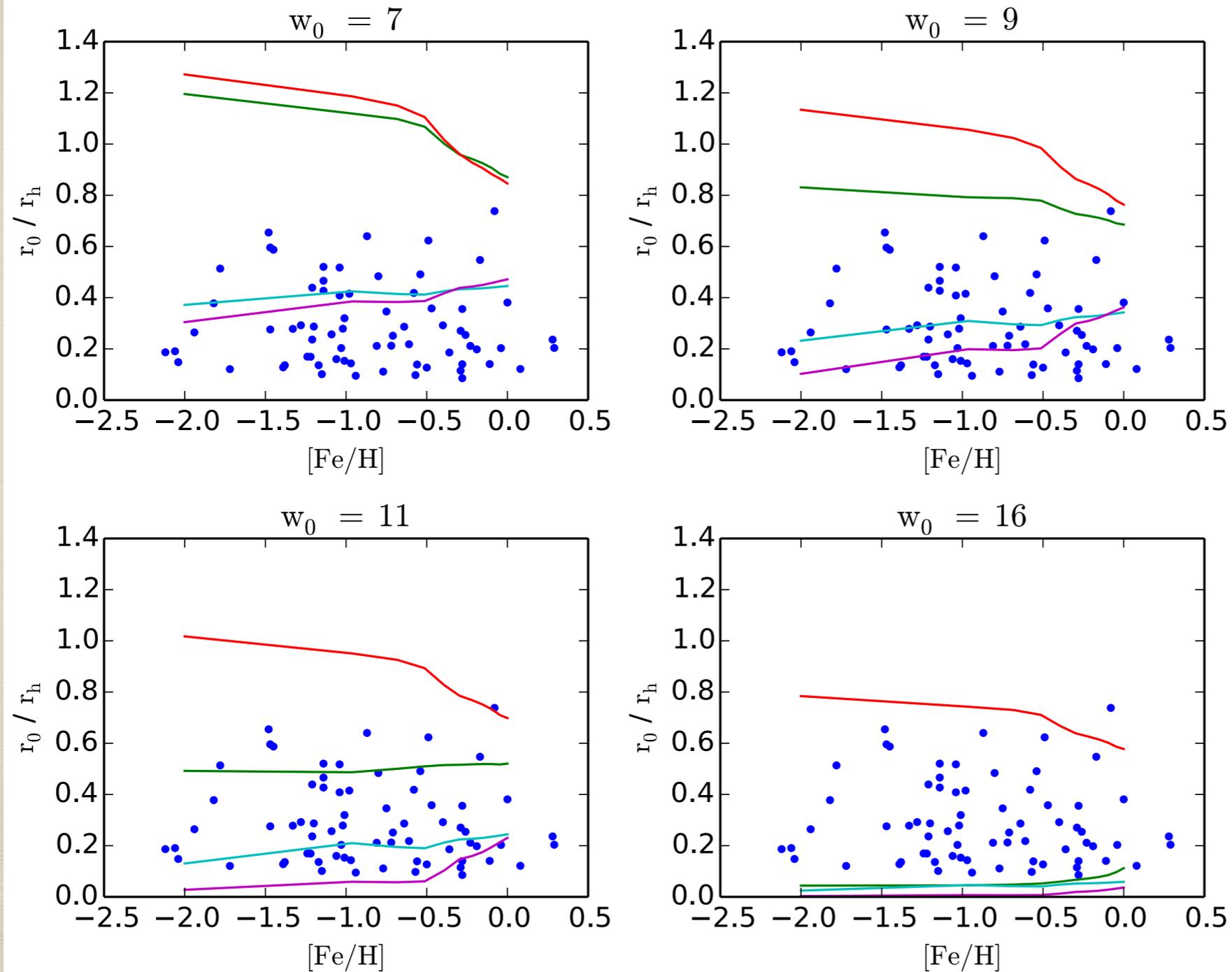
Method: Dynamics



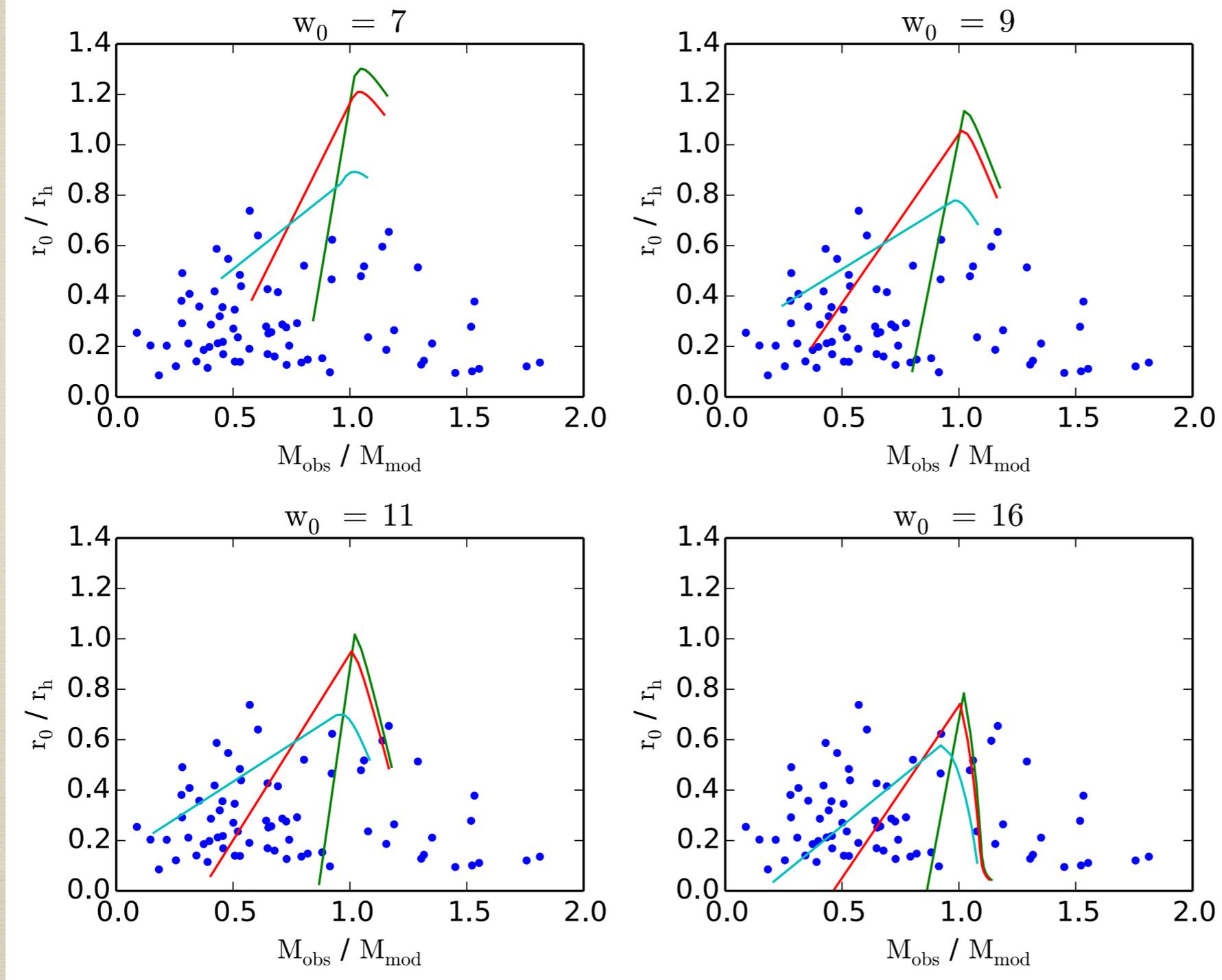
Mass vs Metallicity



Radius vs Metallicity



Radius vs Mass



Key Results (so far...)

1. For clusters without NS and without BH: the dynamical mass derived from evolved stars of a mass segregated cluster (M_{dyn}) depends on metallicity, in that M_{dyn} is lower, and this effect is stronger at high Z .
2. Adding BH has a large effect on the derived M_{dyn} , in that the value is higher, and closer to the real value. NS also increase the derived M_{dyn} , but not by as much.

Summary

- preliminary investigation
- seeking alternative explanation to discrepancy between observations and expected M/L values of M_{31} GCs
- explored effects of using different:
 - * central concentrations, i.e. w_0 values
 - * metallicities
 - * remnant retention fractions
- changing the retention fraction greatly impacts the observed GC mass values
- including this effect would go some way to reconciling the discrepancy Strader found, without the need to make changes to the IMF
- further investigation will take place!